## Math 254ASSIGNMENT 8Due on 4/30

- The position function for a projectile is \$\vec{r}\$ (t) = \langle 417t, -16t<sup>2</sup> + 351t + 250 \rangle.
  For the following, round distances to the nearest foot, times and angles to the nearest tenth. Show clearly how each answer is obtained.
  - (a) What height is the projectile launched from?
  - (b) When does the projectile hit the ground?
  - (c) What is the maximum height of the projectile (above the ground)?
  - (d) How far does the projectile travel through the air?
  - (e) How far does the projectile travel horizontally before hitting the ground? (Assume level ground.)
  - (f) At what angle above horizontal is the projectile launched?
  - (g) How fast is the projectile going when it is launched?
  - (h) How fast is the projectile going when it is at maximum height?

## There is more on the back!

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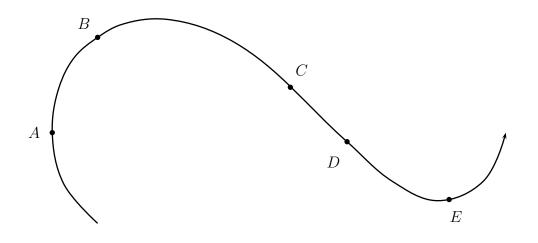
1. The position function for a projectile is  $\vec{\mathbf{r}}(t) = \langle 417t, -16t^2 + 351t + 250 \rangle$ .

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2. A particle is traveling on the curve below, going from left to right overall, as indicated by the arrowhead at the end of the curve. At point A the particle is slowing down, at points B and C it is going at a constant speed, and at points D and E it is speeding up. Assume that the curve is straight at points C and D. Draw in the tangential and normal components of the acceleration at each of those points. Label each tangential component  $\vec{\mathbf{a}}_T$  and label each normal component  $\vec{\mathbf{a}}_N$ . In cases where either is  $\vec{\mathbf{0}}$ , write that near the point.



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