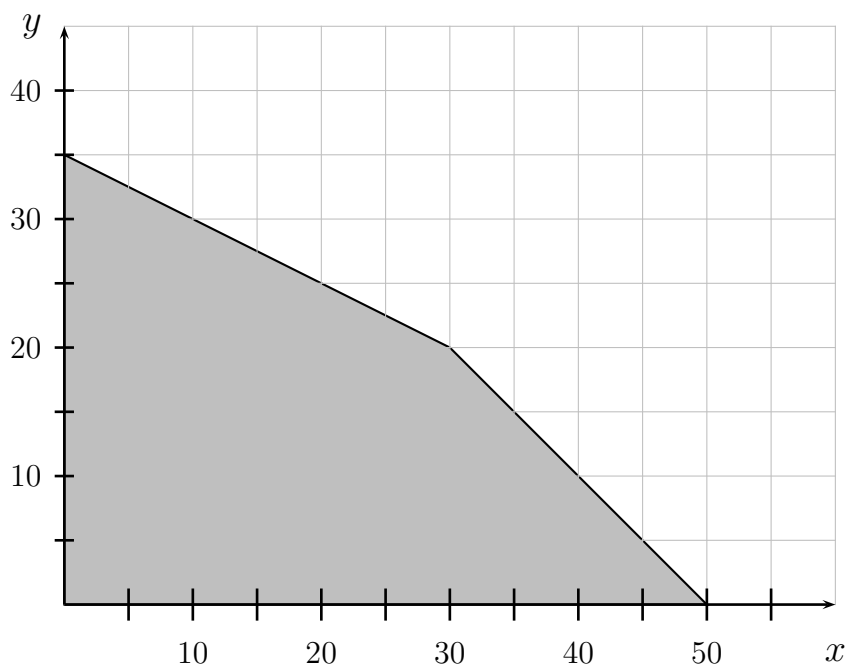
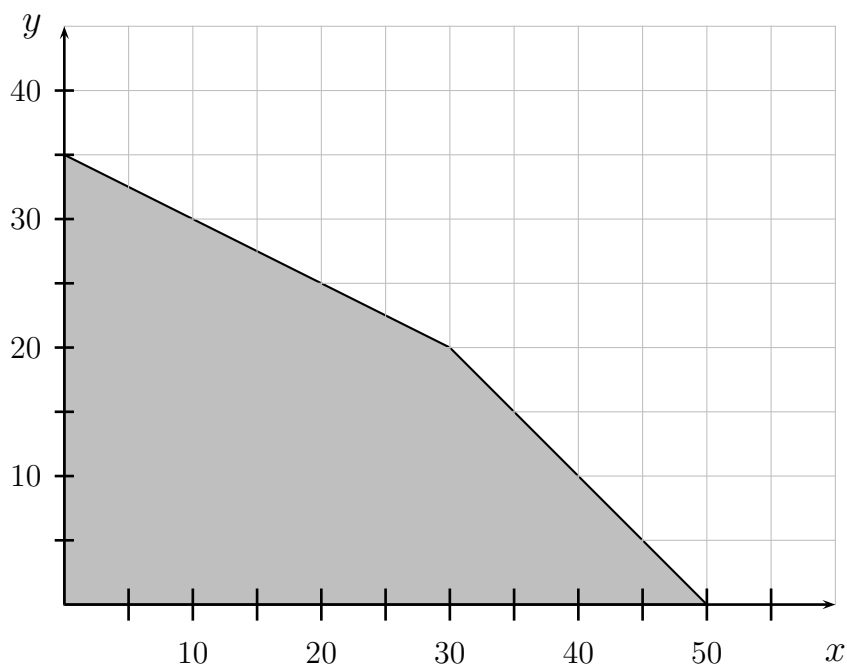


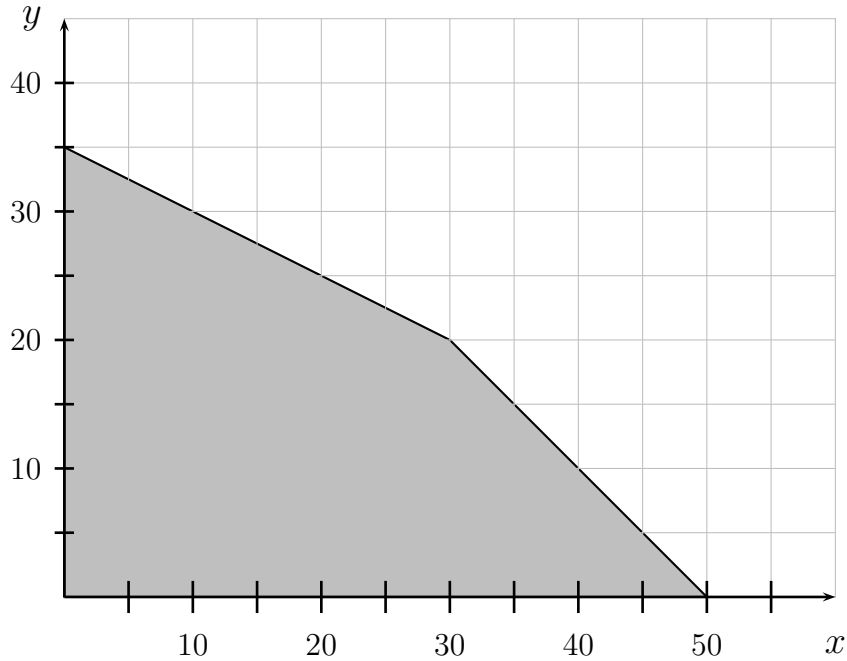
- The shaded area below is the **feasible region** for Exercise 2 of Assignment 3. We will consider the region, along with the **objective function**  $z = 140x + 150y$ .
  - Substitute the value  $z = 2100$  into the objective function and plot the resulting line by finding its intercepts *using a straightedge to draw the line*. Then write  $z = 2100$  along the line, which is called a **level curve** of the objective function.
  - Draw and label the level curves for  $z = 4200$  and  $z = 6300$ . (They are both lines as well.)
  - How do the three lines you've drawn relate to each other?



- Now consider the objective function  $z = 140x + 100y$ . Draw in the level curve lines for  $z = 1400$ ,  $z = 2800$  and  $z = 4200$  on the grid below.



3. Finally, for the objective function  $z = 120x + 150y$ . Draw in the level curve lines for  $z = 1800$ ,  $z = 3600$  and  $z = 5400$  on the grid below.



4. On another sheet of paper, solve each of the following systems of equations by row reduction, as we did in class on Thursday. **Show all steps clearly. Any time that a row has a common factor, you will make things easier if you divide that row by the common factor.**

$$\begin{aligned} x - 3y + 2z &= 9 \\ \text{(a) } -5x + y + 4z &= -17 \\ 2x + 2y - 3z &= 3 \end{aligned}$$

$$\begin{aligned} x - 5y + 5z &= 3 \\ \text{(b) } 2x - 3y + z &= 2 \\ 3x + y - 3z &= 5 \end{aligned}$$

5. Determine where the lines  $x + y = 100$  and  $5x + 3y = 300$  cross by finding the  $x$  and  $y$  values that make both equations true. Do this by

(a) the substitution method

(b) the addition method